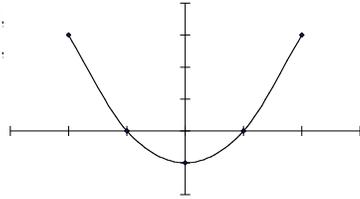


Section 3.1

2. It fo
 6. A(0, D(4,
 10. a)
 14. a)
 22. Show that $d(A, C) = d(B, C) = 5\sqrt{5}$



Section 3.2

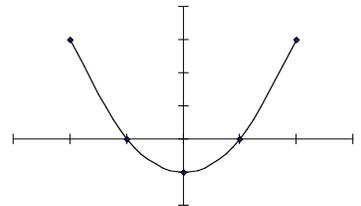
4. Line. x-int.: (-1.5, 0), y-int.: (0, -3)
 12. Horizontal parabola.
 x-int.:(-4, 0), y-int.: (0, $\pm\sqrt{2}$)
 32. It is the upper half of the circle $x^2 + y^2 = 4$ with center (0, 0) and $r = 2$
 36. $(x + 4)^2 + (y - 1)^2 = 9$
 46. $(x + 1)^2 + (y - 4)^2 = 20$
 50. C(5, 0), $r = \sqrt{7}$
 66. Find the distance between the two stations using the Pythagorean theorem and compare that to the sum of their signal strengths.

Section 3.3

2. $m = \frac{1}{5}$
 14. All four lines travel through the origin. Those lines with positive slopes go up to the right and those lines with negative slopes to up to the left.
 20. a. $y = 2$
 b. $x = -4$
 22. $2x - 3y = -14$
 30. $2x - 3y = -7$
 34. $y = \frac{6}{5}x + \frac{17}{5}$
 36. $3x - 4y = -21$
 56. a. $P = -125t + 8250$
 b. $t = 26$ months
 c. The endpoints of the graph are (0, 8250) and (66, 0)
 60. a. $T = \frac{1.7}{99}t + 11.8$
 b. During the year 1910
 64. a. $F = -40$ b. $C = 160$ and $F = 320$

Section 3.4

6. a. $-4a + 3$ b. $4a + 3$
 c. $4a - 3$ d. $-4a - 4h + 3$
 e. $-4a - 4h + 6$ f. -4
 10. a. $2a^2 + 3a - 7$ b. $2a^2 - 3a - 7$
 c. $2a^2 - 3a + 7$
 d. $2a^2 + 4ah + 2h^2 + 3a + 3h - 7$
 e. $2a^2 + 2h^2 + 3a + 3h - 14$
 f. $4a + 2h + 3$
 12. a. $\frac{5a + 2}{a}$ b. $\frac{1}{2a - 5}$
 c. $2\sqrt{a} - 5$ d. $\sqrt{2a} - 5$
 16. a. $[-5, 7]$ b. $[1, 2]$
 c. $f(1) = 11$ d. $x = 3, 1, 3, 5$
 e. $(3, 1) \cap (3, 5)$
 24. $\frac{3}{4}, 2, \frac{1}{4} \cap (2,)$
 34. a.



- b. $D = (-\infty, \infty), R = [-1, \infty)$
 c. Decreasing on $(-\infty, 0]$
 Increasing on $[0, \infty)$
 46. $f(x) = \frac{3}{2}x + 4$
 60. a. $y(x) = \frac{4}{x}$ b. $S(x) = 3x + 4 + \frac{12}{x}$
 68. a. $L(x) = \sqrt{2500 + (x - 2)^2}$
 b. approx. 57.9 feet ($25\sqrt{5} + 2$ ft.)

Section 3.5

2. Even 4. Odd 8. Neither

12. Given: $g(x) = |x|$ and $f(x) = |x - c|$

To find $f(x)$:

For $c = -3$, shift $g(x)$ left 3 units

For $c = 1$, shift $g(x)$ right 1 unit

For $c = 3$, shift $g(x)$ right 3 units

14. Given: $g(x) = 2x^2$ and $f(x) = 2x^2 - c$

to find $f(x)$:

For $c = -4$, shift $g(x)$ up 4 units

For $c = 2$, shift $g(x)$ down 2 units

For $c = 4$, shift $g(x)$ down 4 units

30. (-1, -8)

36. graph of f horizontally stretched by 2 and shifted down 3

40. Given $f(x)$ as drawn:

a. shift f right 2 units

b. shift f left 2 units

c. shift f down 2 units

d. shift f up 2 units

e. reflect f through the x -axis and vertically stretch it by a factor of 2.

f. reflect f through the x -axis and vertically compress it by a factor of 2.

g. reflect f through the y -axis and horizontally compress it by a factor of 2.

h. horizontally stretch f by a factor of 2.

i. reflect f about the x -axis, shift it left 4 units and down 2 units.

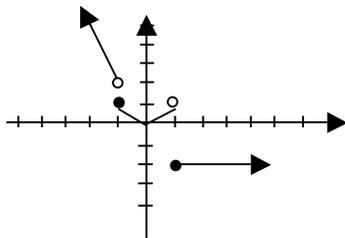
j. shift f right 4 units and up 2.

44. a. $y = f(x + 2) + 2$

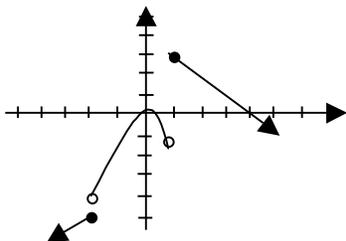
b. $y = f(x)$

c. $y = f(x + 4) + 2$

48.



50.



62. a. $D = [-6, -2], R = [-5, -2]$
 b. $D = [-3, -1], R = [-10, -4]$
 c. $D = [-4, 0], R = [-5, 1]$
 d. $D = [-10, -6], R = [-11, -5]$
 e. $D = [2, 6], R = [-10, -4]$
 f. $D = [-6, -2], R = [4, 10]$

64. $C(x) = \begin{cases} 0.25 & \text{if } x \leq 1 \\ 0.10 + 0.15x & \text{if } x > 1 \end{cases}$

Section 3.6

10. $f(x) = -4(x - 2)^2 + 3$

16. a. $x = \frac{8}{3}, \frac{3}{2}$

b. -26.04 is a minimum

c. Graph is a parabola with vertex $(\frac{7}{12}, \frac{625}{24})$

opens up and has the x -intercepts obtained from part a.

24. $y = -(x - 2)^2 + 4$

26. $y = \frac{5}{9}(x + 1)^2 - 2$

30. $y = \frac{7}{64}(x - 4)^2 - 7$

Section 3.7

2. a. -4 b. -14

c. -45 d. $\frac{9}{5}$

10. a. $3x^2 - 6x + 3$ b. $3x^2 - 1$

c. $27x^4$ d. $x - 2$

18. a. $27x^3 + 18x^2$ b. $3x^3 + 6x^2$

c. -144 d. 135

Section 3.8

6. f is not one-to-one

22. $f^{-1}(x) = \frac{3x + 1}{x}$

24. $f^{-1}(x) = \frac{2x}{x + 4}$

26. $f^{-1}(x) = \sqrt{\frac{x + 2}{5}}$

40. a. The graphs intersect on the line $y = x$

b. $D = [1, 10], R = [0, 9]$

c. $D_1 = [0, 9], R_1 = [1, 10]$

48. a. graph

b. $f(x) = 201.15x - 389,469.5$

c. $f^{-1}(x) = \frac{x + 389,469.5}{201.15}$; the inverse gives

the year when x radio stations were on the air.

d. 1975

Section 3.9

8. $k = \frac{2500}{3}$ 12. $k = \frac{8}{5}$

16. a. $I = \frac{k}{d^2}$ b. $k = 2.5 \times 10^9$

c. 89.7 candlepower

24. a. $V = k \frac{nT}{P} = \frac{knT}{P}$ b. V is doubled.

Pg. 226:

92. 375 calls

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