Find this limit, if possible. 1)

$$\lim_{x \to -2} \frac{2x^2 - x - 10}{x^2 - 4}$$

 $-\frac{9}{4}$ А. $B. \quad \frac{9}{4}$ 0 С. $D. \quad \frac{1}{4}$ *E.* Limit does not exist.

2) Find this limit, if possible.

$$\lim_{x \to \infty} \frac{5x^2 - 3x + 9}{2x^3 - 3x + 1}$$

А.	∞	
В.	$\frac{5}{2}$	
С.	1	
D.	0	
-	.	• .

30

6

-8 -10

-2

E. Limit does not exist.

3) Find the <u>average rate of change</u> for the following function on the given interval.

$f(x) = -x^3 + 5x^2 + 1$ from $x = -2$ to $x = 3$	
	А.
	В.
	С.
	D.
	E.

4) Find the *x*-coordinate only of any point(s) at which the graph of the function below has a horizontal tangent line.

$$f(x) = \frac{2}{3}x^3 + x^2 - 12x - 6$$

A.
$$x = -3, 0, 2$$

B. $x = 12$
C. $x = -3, 2$
D. $x = -12$
E. $x = -2, 3$

5) If
$$f(x) = \frac{1-4x}{2x+3}$$
, find the value of the derivative at the point $\left(1, -\frac{3}{5}\right)$.

А.	$-\frac{26}{25}$
В.	$\frac{14}{25}$
С.	$\frac{26}{25}$
D.	$-\frac{18}{25}$
Ε.	$-\frac{14}{25}$

- 6) The revenue, in dollars, from selling *x* compact disk players is $R(x) = \frac{3000}{x} + 100x$. Use a marginal function to estimate the **additional** revenue of the 11th compact disk player after 10 have been sold.
 - A. \$70.00
 - *B*. \$72.00
 - *C*. \$72.73
 - *D*. \$74.00
 - *E*. \$74.79

7) Find
$$D_x \left[\frac{(5x-3)(2x+7)}{3x+7} \right]$$
.

A.
$$\frac{-30x^2 - 57x + 133}{(3x + 7)^2}$$

B.
$$\frac{30x^2 + 140x + 266}{(3x + 7)^2}$$

C.
$$\frac{-30x^2 - 57x + 133}{(3x + 7)^2}$$

D.
$$\frac{30x^2 + 256x + 182}{(3x + 7)^2}$$

E.
$$\frac{30x^2 + 140x + 182}{(3x + 7)^2}$$

8) The height above the water of a diver is given by the position function below, where *h* is the height above the water in feet and *t* is time in seconds. What is the <u>velocity</u> of the diver when he hits the water? **Hint: First, you will need to find the time when he hits the water (height is zero feet).**

$$h(t) = -16t^2 + 16t + 32$$

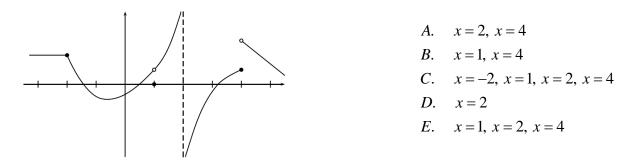
- A. -24 feet per second
- B. -16 feet per second
- C. -36 feet per second
- D. -48 feet per second
- E. -60 feet per second

9) Find the derivative of the function below.

$$f(x) = (x^2 - 2x + 1)(3x - 2)$$

A. $9x^2 - 16x + 7$ B. $9x^2 - 4x - 4$ C. $3x^3 - 8x^2 + 7x - 2$ D. 6x - 6E. $9x^2 - 10x + 3$

10) Find all value(s) of *x* where the derivative does not exist. Each hash mark on the *x*-axis represents one unit.



11) Below is a function *f* and its derivative, f'. Find the equation of the line tangent to the graph of *f* at the point, (-2, -2).

$$f'(x) = \frac{5x}{x^2 + 1}$$

$$f'(x) = \frac{5 - 5x^2}{(x^2 + 1)^2}$$

$$A. \quad y = \frac{1}{25}x - \frac{48}{25}$$

$$B. \quad y = -\frac{3}{5}x + \frac{4}{5}$$

$$C. \quad y = x + 4$$

$$D. \quad y = -\frac{3}{5}x - \frac{16}{5}$$

$$E. \quad y = \frac{1}{25}x + \frac{48}{25}$$

- 12) If $y = 4x(x^2 1)^3$, then y' is equivalent to which choice? Note: You will need to factor your derivative.
 - A. $4(x^2-1)^2(7x^2-1)$ B. $4(x^2-1)^2(x^2+6x-1)$ C. $4(x^2-1)^2(x^2+3x-1)$ D. $12x(x^2-1)^2$ E. $24x^2(x^2-1)^2$

- 13) The daily cost function for production of a particular type of calculator is $C(x) = 0.0001x^3 - 0.08x^2 + 40x + 5000$ dollars, where x is the number of calculators produced. What is the instantaneous rate of change in cost at the time the 59th calculator is produced?
 - A. \$31.12 / calculator
 - B. \$31.48 / calculator
 - C. \$31.54 / calculator
 - D. \$31.72 / calculator
 - *E.* \$31.60/*calculator*

14) Find the derivative of $g(x) = (2x^2 - 5x + 1)^3$.

A.
$$g'(x) = 3(4x-5)^2$$

B. $g'(x) = 3(4x-5)(2x^2-5x+1)^2$
C. $g'(x) = 12x(2x^2-5x+1)^2$
D. $g'(x) = 12(4x-5)^2$
E. $g'(x) = (12x-5)(2x^2-5x+1)^2$

15) If
$$y = \frac{2}{(5x+1)^3}$$
, find $\frac{dy}{dx}$.

A.
$$\frac{-6}{(5x+1)^4}$$

B. $\frac{-30}{(5x+1)^2}$
C. $\frac{-10}{3(5x+1)^{4/3}}$
D. $\frac{-30}{(5x+1)^4}$
E. $\frac{30}{(5x+1)^4}$