Numerical Methods & .m Files

In order to use MATLAB routines for the Euler, Improved Euler or Runge-Kutta Methods, you will need the files **eul.m**, **rk2.m** or **rk4.m**, respectively. These files are already present on all ITaP machines as standard software. (If using your own copy of MATLAB you may need to download these files from **http://math.rice.edu/~dfield**) You may also access these files from Matlab 7 via the *Citrix Client*:

https://goremote.ics.purdue.edu/Citrix/MetaFrame/site/default.aspx

• You must first create a function file in the same directory (or folder) as your MATLAB. Here is one way. After MATLAB has been opened, pull down the **File** menu and select "**New M-File**". A window will pop up for you to create your function file. For example, to create a function file for the function $f(x,y) = 6x^3 - e^{2y} + \frac{\sqrt{x}}{y}$, type:

function W=fcn1(x,y)
W=6*x
3
-exp(2*y)+sqrt(x)/y;

(Don't forget the ";" at the end.)

• Save this file as a .m file with the SAME name as your function. The above example would be saved as "fcn1.m". You can check if your function has been saved by typing something like the following at a MATLAB prompt: fcn1(0,3)

You should get the value of f(0,3).

• Your initial value problem should have the form : $\begin{cases} y' = f(x,y) \\ y(x_0) = y_0 \end{cases}$.

Assuming f(x, y) was saved as the file **fcn1.m**, the syntax for **eul** (as well as **rk2** and **rk4**, just replace **eul**) will be: **eul('fcn1', [x0,xf],y0,h)**

where x0 and xf denote the initial and final values of x, respectively, y0 is the initial value of y, and h is the step size.

(Your version of Matlab may not utilize brackets. Type **help eul** to find out.) To approximate the actual solution to the IVP at xf, with given h, using **eul**, just type the following at a Matlab prompt:

The approximations $y_0, y_1, y_2, \dots, y_n$ are stored in the matrix **y**.

To print them out, type: [x,y]

To plot them, type: plot(x,y)