

Student's Name: _____

Student's ID Number: _____

Instructions:

1. **Do NOT turn the page until told to do so.**
2. Fill in your name and student ID in the space provided above.
3. On the scantron, fill in **your name, section number, student ID. For the test/quiz number, put down 01 for green exam and 02 for orange exam.** Sign your name.
4. There are 12 problems and a total of 7 pages. The maximum possible score for this exam is 100, and each problem is worth the same points.
5. You can use the available space below a question or at the back of each page for your work. Turn in **ONLY** the scantron when you leave. Note: **you will be graded ONLY based on your scantron answer sheet.**
6. Only a one-line display scientific calculator is allowed. NO other electronic devices are allowed. No books or notes are allowed.
7. You will have 60 minutes to complete the exam.
8. **Keep your eyes on your own exam please. Try to cover your scantron answers.**
9. Good luck!

Time	Instructor	Section No.	Time	Instructor	Section No.
7:30am	D. Daniels	0031	7:30am	E. Garcia	0021
7:30am	J. Bates	0110	7:30am	L. Bloome	0107
7:30am	N. Eikmeier	0119	8:30am	N. Eikmeier	0120
8:30am	L. Bloome	0108	8:30am	J. Bates	0109
8:30am	D. Daniels	0051	8:30am	E. Garcia	0061
9:30am	B. Cox	0100	9:30am	S. Rabieniaharatbar	0103
9:30am	I. Aly	0122	10:30am	I. Aly	0121
10:30am	S. Rabieniaharatbar	0104	10:30am	B. Cox	0099
10:30am	D. Nichols	0112	11:30am	D. Stratman	0098
11:30am	Y. Luo	0094	11:30am	D. Nichols	0111
11:30am	C. Mathison	0106	12:30pm	C. Mathison	0105
12:30pm	Y. Luo	0092	12:30pm	D. Stratman	0097
12:30pm	N. Stull	0011	1:30pm	M. Lynn	0041
1:30pm	H. Delgado	0052	1:30pm	M. Perlmutter	0093
1:30pm	N. Stull	0071	1:30pm	A. Yim	0115
2:30pm	M. Lynn	0081	2:30pm	M. Perlmutter	0091
2:30pm	A. Yim	0116	3:30pm	Y. Chen	0117
3:30pm	A. Schneider	0096	3:30pm	P. Stefanov	0101
3:30pm	M. Ochoa	0113	4:30pm	M. Ochoa	0114
4:30pm	T. Terrell	0102	4:30pm	A. Schneider	0095
4:30pm	Y. Chen	0118			

MA 16010 - Exam 3/Form 01

1. Let $f(x) = -x^3 + 12x$. The y values of the absolute minimum and the absolute maximum of $f(x)$ over the closed interval $[-3, 5]$ are respectively:

- A. -65 and -9
- B. -65 and 16
- C. -16 and -9
- D. -16 and 16
- E. -9 and 16

2. Choose the correct statement(s) about the function $f(x) = 2x^3 - 9x^2$.

- I. $f(x)$ has a relative maximum at $x = 0$.
- II. $f(x)$ has a relative minimum at $x = 3$.
- III. $f(x)$ is concave downward on $(-\infty, \frac{3}{2})$.

- A. I only
- B. II only
- C. I & III only
- D. II & III only
- E. All of the statements are true.

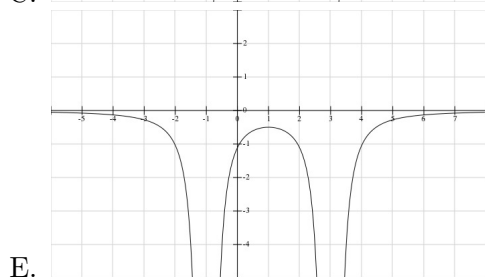
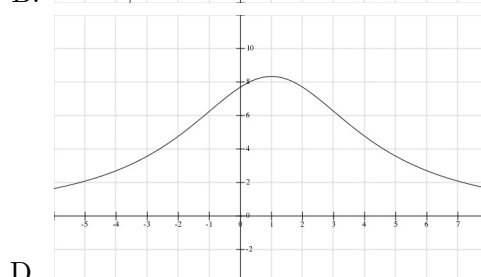
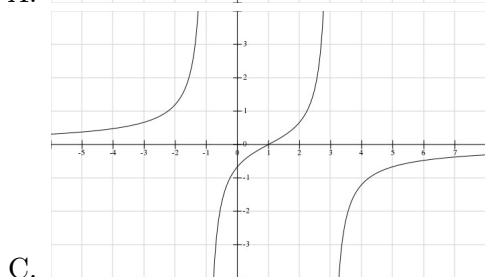
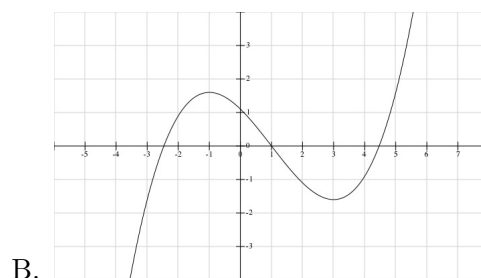
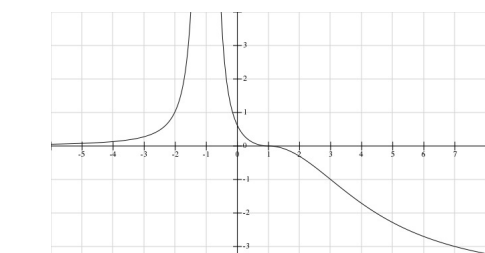
3. Find the point of inflection of $h(x) = xe^{-2x}$.

- A. $(-1, -e^2)$
- B. $(-\frac{1}{2}, -\frac{e}{2})$
- C. $(0, 0)$
- D. $(\frac{1}{2}, \frac{1}{2e})$
- E. $(1, \frac{1}{e^2})$

4. A function $f(x)$ satisfies the following conditions:

- (a) $f'(x) > 0$ on $(-\infty, -1)$
- (b) $f''(x) < 0$ on $(-1, 0)$
- (c) $f'(x) = 0$ at $x = 1$

Which of the following graphs is a possible graph of $f(x)$?



5. Which of the following functions satisfies $\lim_{x \rightarrow \infty} f(x) = -\infty$?

A. $f(x) = \frac{x^4 - 16}{6x + 2}$

B. $f(x) = \frac{6}{x} + 3$

C. $f(x) = \frac{x^2 - 3x}{x - 5x^2}$

D. $f(x) = \frac{2x - 5}{x^2 + 25}$

E. $f(x) = \frac{x^3 - 27x}{7 - 4x^2}$

6. Which of the following describes all the asymptotes of the function $f(x) = \frac{-2x^2 - 5x + 7}{x + 3}$?

A. $x = -3, y = -2$

B. $x = -3, y = -2x + 1$

C. $x = -2, y = 2x + 1$

D. $x = -2, y = 0$

E. $x = 3, y = 0$

7. A box with a square base and open top is to be made from 300 square inches of material. What is the volume of the largest box that can be made.
- A. 472 cubic inches
 - B. 500 cubic inches
 - C. 532 cubic inches
 - D. 560 cubic inches
 - E. 600 cubic inches
8. A poster is to have an area of 200 square inches with 1 inch margins on the left and right sides, and 2 inch margins on the top and bottom. Varying the dimensions of the poster changes the area of the region inside the margins. What is the maximum area inside the margins?
- A. 88 square inches
 - B. 108 square inches
 - C. 128 square inches
 - D. 148 square inches
 - E. 168 square inches

9. Find the x -coordinate of the point on the line of $y = 2x + 1$ that is closest to the point $(5, 1)$.

- A. 0
- B. 1
- C. 2
- D. 3
- E. 4

10. $\int \frac{3x^2 - 4}{2\sqrt{x}} dx =$

- A. $\frac{3}{4}\sqrt{x^3} - \frac{3}{\sqrt{x}} + C$
- B. $\frac{9}{4}\sqrt{x^5} + \sqrt{x} + C$
- C. $\frac{3}{5}\sqrt{x^5} - 4\sqrt{x} + C$
- D. $\frac{9}{4}\sqrt{x} + \frac{1}{\sqrt{x^3}} + C$
- E. $\frac{3}{7}\sqrt{x^7} - \frac{4}{3}\sqrt{x^3} + C$

11. Find the particular solution that satisfies the following differential equation and the initial conditions.

$$f''(x) = 3 \cos(x), \quad f'(0) = 4, \quad f(0) = 7$$

- A. $f(x) = -3 \cos(x) + 4x + 7$
- B. $f(x) = 3 \cos(x) + 4x + 7$
- C. $f(x) = -3 \cos(x) + 4x + 10$
- D. $f(x) = 3 \cos(x) + 4x + 10$
- E. $f(x) = 3 \cos(x) + x + 7$

12. The growth rate of a bacteria in a Petri dish is given by

$$\frac{dP}{dt} = 2t + 7$$

where t is the time **in hours** and P is the population. If there are 1000 bacteria after **one day**, how many bacteria are there after **two days**?

- A. 2,896 bacteria
- B. 3,311 bacteria
- C. 3,640 bacteria
- D. 4,624 bacteria
- E. 5,304 bacteria