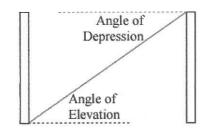
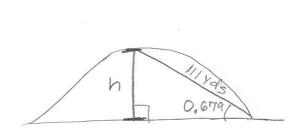
## **Lesson 27 Examples**



1. A Graboid makes a straight 111-yard tunnel down a hillside that makes an angle of 0.679 rad with the horizontal. Find the height of the hill in yards. (HW #2)



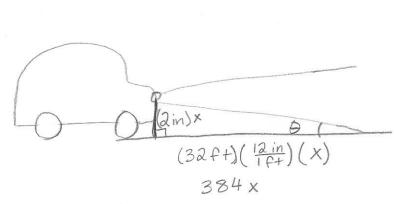
$$\sin(0.679) = \frac{h}{111}$$

$$0.628 = \frac{h}{111}$$

$$h = 111(0.628)$$

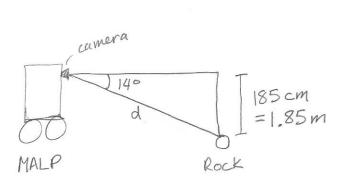
$$N = 69.710 \text{ yds}$$

2. The headlights of a Chevy Impala are set such that the beam drops 2 in for each 32 ft in front of the car. What is the angle between the beam and the road in degrees? (HW #3)



Let 
$$x = \#$$
 of  $32$  ft lengths  
in front of car,  
$$\tan \theta = \frac{2x}{384x} = \frac{2}{384} = \frac{1}{192}$$
$$\theta = \tan^{-1}\left(\frac{1}{192}\right)$$
$$\theta = 0.298°$$

3. A MALP robot is on the surface of the planet Abydos. The angle of depression from a camera on the robot to a rock on the surface of Abydos is 14 degrees. The camera is 185 cm above the surface of the planet. How far from the camera is the rock in meters? (HW #7)



$$sin(14^\circ) = \frac{1.85}{d}$$

$$0.242 = \frac{1.85}{d}$$

$$d = \frac{1.85}{0.242}$$

$$d = 7.647 m$$

340FH 700

#9)

$$tan(7^\circ) = \frac{340}{x}$$

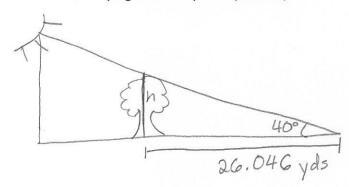
$$0.123 = \frac{340}{x}$$

$$x = \frac{340}{0.123}$$

$$x = 2769 ft$$

5. (a) When the elevation of the sun is 40°, the Whomping Willow has a shadow 26.046 yards long. How tall is the Whomping Willow in yards? (HW #10)

4. Anakin is crash landing a battle cruiser on a landing pad on Coruscant. During the landing, the ship was 340 ft above the beginning of the landing strip. It then came in on a constant angle of 7 degrees with the landing strip. How far from the beginning of the landing strip did it first touch the ground in feet? (HW



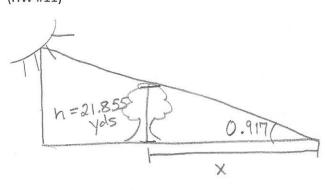
$$\tan (40^{\circ}) = \frac{h}{26.046}$$

$$0.839 = \frac{h}{26.046}$$

$$h = (26.046)(0.839)$$

$$h = 21.855 \text{ yds}$$

(b) When the elevation of the sun is 0.917 rad, how long is the Whomping Willow's shadow in yards? (HW #11)

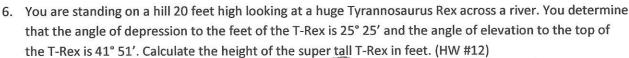


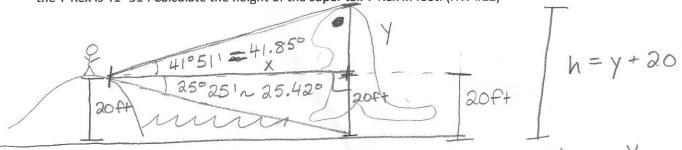
$$tan(0.917) = \frac{21.855}{x}$$

$$1.305 = \frac{21.855}{x}$$

$$x = \frac{21.855}{1.305}$$

$$x = 16.746 \text{ yds}$$





$$tan(25.42°) = \frac{20}{x}$$

$$0.475 = \frac{20}{x}$$

$$x = \frac{20}{0.475}$$

$$x = 42.088 + 4$$

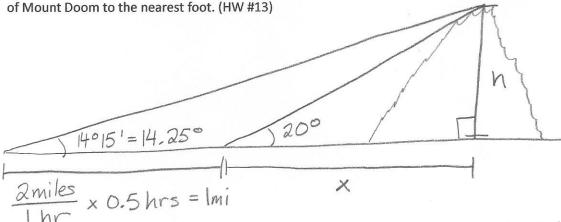
$$tan(41.85°) = \frac{y}{x}$$

$$0.896 = \frac{y}{42.088}$$

$$y = 42.088(0.896)$$

$$y = 37.697 ft$$

$$h = 20 + y = 20 + 37.697 \neq 57.6974$$



$$tan(20^\circ) = \frac{h}{x}$$
 $0.364 = \frac{h}{x}$ 
 $0.364x = h$ 
 $tan(14, 25^\circ) = \frac{h}{1+x}$ 
 $0.254 = \frac{h}{1+x}$ 

$$(0.254)(1+x) = h$$

0.364 x = 0.254(1+x)  
0.364 x = 0.254 + 0.254x  
0.11 x = 0.254  

$$x = \frac{0.254}{0.11}$$
  
 $x = 2.309 \text{ mi}$ 

$$h = 0.364 (2.369 mi)$$
  
 $h = 0.840 miles$   
 $h = (0.840 mi)(\frac{5280ft}{1mi}) = 4437ft$