

A Very Simple Introduction to Matlab

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MATLAB is an interactive, matrix-based system for scientific and engineering numerical computations and visualizations. MATLAB is the short form for MATrix LABoratory.

MATLAB is very user-friendly as a *desk calculator, computational tool for linear algebra and matrix analysis, solver for ordinary and partial differential equations, graph plotter* and much more.

1 Get Onto Matlab

Matlab is becoming more and more popular. It can be found in many PC and UNIX systems.

- In the various campus instructional computer labs, you can access Matlab by simply clicking its icon. (It can be found by using `find`.)
- Matlab also exists in most UNIX systems. Just type `matlab` to see if it exists in the system you are using.

There should be a person on duty in the Computing Center if you have problems accessing Matlab.

2 Try This....

The following is the *actual screen* you will see (plus some edited comments). For starters, after you have opened matlab, you can just follow the lines and see.... Jump to the next section at anytime if you wish.

```
>>                                     % This is the matlab prompt.

>> A=[1 2 3; 4 5 6; 7 8 9]             % Creating a matrix called A.

A =

     1     2     3
     4     5     6
     7     8     9
```

```
>> B=[                                % Creating a matrix called B.
1 2 3                                % Note that the format is quite flexible
5 6 1
3 -1 9
]
```

```
B =
```

```
     1     2     3
     5     6     1
     3    -1     9
```

```
>> A
```

```
% To see what is A.
```

```
A =
```

```
     1     2     3
     4     5     6
     7     8     9
```

```
>> A + B
```

```
% A + B = ?
```

```
ans =
```

```
     2     4     6
     9    11     7
    10     7    18
```

```
>> C = A + B
```

```
% Set C = A + B
```

```
C =
```

```
     2     4     6
     9    11     7
    10     7    18
```

```
>> D= 2*A - 3*B                                % Compute D = 2*A - 3*B
```

```
D =
```

```
    -1    -2    -3  
    -7    -8     9  
     5    19    -9
```

```
>> C=[1; 2; 3]                                  % Create a column vector
```

```
C =
```

```
     1  
     2  
     3
```

```
>> R = [ 1; 2; 3]                               % Create a row vector
```

```
R =
```

```
     1  
     2  
     3
```

```
>> R=[1 2 3]
```

```
R =
```

```
     1     2     3
```

```
>> whos                                          % You can see what variables you have  
                                                % defined and their data.
```

Name	Size	Elements	Bytes	Density	Complex
A	3 by 3	9	72	Full	No
B	3 by 3	9	72	Full	No
C	3 by 1	3	24	Full	No

D	3 by 3	9	72	Full	No
R	1 by 3	3	24	Full	No
ans	3 by 3	9	72	Full	No

Grand total is 42 elements using 336 bytes

```
>> A % To see A again.
```

```
A =
```

```

1     2     3
4     5     6
7     8     9
```

```
>> A(1,1) % You can see particular entry of A
```

```
ans =
```

```
1
```

```
>> A(3,2) % the (3,2) entry of A is?
```

```
ans =
```

```
8
```

```
>> A(2,2)=3.5 % change the (2,2) entry of A to be 3.5
```

```
A =
```

```

1.0000    2.0000    3.0000
4.0000    3.5000    6.0000
7.0000    8.0000    9.0000
```

```
>> A(1,3)=5.1 % change the (1,3) entry of A to be 5.1
```

```
A =
```

```
1.0000    2.0000    5.1000
4.0000    3.5000    6.0000
7.0000    8.0000    9.0000
```

```
>> P=rand(4) % create a random 4 by 4 matrix
```

```
P =
```

```
0.2470    0.6515    0.2727    0.2378
0.9826    0.0727    0.4364    0.2749
0.7227    0.6316    0.7665    0.3593
0.7534    0.8847    0.4777    0.1665
```

```
>> Q=rand(3) % create a random 3 by 3 matrix
```

```
Q =
```

```
0.4865    0.0606    0.5163
0.8977    0.9047    0.3190
0.9092    0.5045    0.9866
```

```
>> rank(A) % To find the rank of A
```

```
ans =
```

```
3
```

```
>> help rand % online help for rand
```

RAND Uniformly distributed random numbers and matrices.

RAND(N) is an N-by-N matrix with random entries, ordinarily chosen from a uniform distribution on the interval (0.0,1.0).

RAND(M,N) or RAND([M,N]) is an M-by-N matrix with random entries.

RAND(SIZE(A)) is the same size as A.

RAND with no arguments is a scalar whose value changes each time it is referenced.

RAND('seed') returns the current seed of the uniform generator.
RAND('seed',s) sets the uniform generator seed to s.
RAND('seed',0) resets the seed its startup value.
RAND('seed',sum(100*clock)) sets it to a different value each time.

By default, RAND samples a uniform distribution. The function RANDN generates normally distributed random matrices. RAND and RANDN have separate generators, each with its own seed.

Previous versions of MATLAB allowed RAND('normal') to switch the prevailing distribution to normal, RAND('uniform') to switch back to uniform distribution, and RAND('dist') to return a string containing the prevailing distribution, either 'uniform' or 'normal'. MATLAB Version 4.0 continues to allow this switch, but issues a warning message discouraging its use.

See also RANDN, SPRANDN.

```
>> help rank % online help for rank
```

```
RANK Number of linearly independent rows or columns.  
K = RANK(X) is the number of singular values of X  
that are larger than MAX(SIZE(X)) * NORM(X) * EPS.  
K = RANK(X,tol) is the number of singular values of X that  
are larger than tol.
```

```
>> 1+2 % simple arithmetics
```

```
ans =
```

```
3
```

```
>> 2*7
```

```
ans =
```

```

14
>> 5/2

ans =

2.5000

>> pi

ans =

3.1416

>> exp(1)

ans =

2.7183

>> format long                                % change the format to be long
>> exp(1)

ans =

2.71828182845905

>> help format

FORMAT Set output format.
All computations in MATLAB are done in double precision.
FORMAT may be used to switch between different output
display formats as follows:
  FORMAT          Default. Same as SHORT.
  FORMAT SHORT    Scaled fixed point format with 5 digits.
  FORMAT LONG     Scaled fixed point format with 15 digits.
  FORMAT SHORT E  Floating point format with 5 digits.

```

FORMAT LONG E Floating point format with 15 digits.
FORMAT HEX Hexadecimal format.
FORMAT + The symbols +, - and blank are printed
for positive, negative and zero elements.
Imaginary parts are ignored.
FORMAT BANK Fixed format for dollars and cents.
FORMAT COMPACT Suppress extra line-feeds.
FORMAT LOOSE Puts the extra line-feeds back in.
FORMAT RAT Approximation by ratio of small integers.

>> Q

Q =

0.48651738301223	0.06056432754759	0.51629196364260
0.89765628655332	0.90465309233621	0.31903294116214
0.90920810164381	0.50452289474407	0.98664211201791

>> 3/4

ans =

0.75000000000000

>> A

A =

1.00000000000000	2.00000000000000	5.10000000000000
4.00000000000000	3.50000000000000	6.00000000000000
7.00000000000000	8.00000000000000	9.00000000000000

>> format % reset format to be default - short

>> A

A =


```

1.0000    2.0000    5.1000
4.0000    3.5000    6.0000
7.0000    8.0000    9.0000

>> A*B                                % A*B, matrix multiplication

ans =

26.3000    8.9000    50.9000
39.5000    23.0000    69.5000
74.0000    53.0000   110.0000

>> B*A                                % B*A, matrix multiplication
% note that A*B is not equal to B*A

ans =

30.0000    33.0000    44.1000
36.0000    39.0000    70.5000
62.0000    74.5000    90.3000

>> C

C =

1
2
3

>> A*C

ans =

20.3000
29.0000
50.0000

>> C*A                                % Matrix multiplication fails due to

```

```

                                                    % incompatible dimensions
??? Error using ==> *
Inner matrix dimensions must agree.

>> A^2                                                    % A^A = A*A

ans =

    44.7000    49.8000    63.0000
    60.0000    68.2500    95.4000
   102.0000   114.0000   164.7000

>> A*A

ans =

    44.7000    49.8000    63.0000
    60.0000    68.2500    95.4000
   102.0000   114.0000   164.7000

>> A^3

ans =

    1.0e+03 *

    0.6849    0.7677    1.0938
    1.0008    1.1221    1.5741
    1.7109    1.9206    2.6865

>> A*A*A

ans =

    1.0e+03 *

    0.6849    0.7677    1.0938

```

```
1.0008  1.1221  1.5741
1.7109  1.9206  2.6865
```

```
>> B
```

```
B =
```

```
1  2  3
5  6  1
3 -1  9
```

```
>> B'
```

```
% transpose
```

```
ans =
```

```
1  5  3
2  6 -1
3  1  9
```

```
>> B''
```

```
% B transpose and transpose again
```

```
ans =
```

```
1  2  3
5  6  1
3 -1  9
```

```
>> C
```

```
C =
```

```
1
2
3
```

```
>> R
```

```

R =

     1     2     3

>> C*R                                % column vector times row vector

ans =

     1     2     3
     2     4     6
     3     6     9

>> R*C                                % row vector times column vector

ans =

    14

>> zeros(3)                            % To create a 3 by 3 zero matrix

ans =

     0     0     0
     0     0     0
     0     0     0

>> zeros(5)

ans =

     0     0     0     0     0
     0     0     0     0     0
     0     0     0     0     0
     0     0     0     0     0
     0     0     0     0     0

>> eye(5)                              % To create a 5 by 5 identity matrix

```

```
ans =
```

```
    1    0    0    0    0
    0    1    0    0    0
    0    0    1    0    0
    0    0    0    1    0
    0    0    0    0    1
```

```
>> eye(3)
```

```
ans =
```

```
    1    0    0
    0    1    0
    0    0    1
```

```
>> E=rand(3,4) % To create a random 3 by 4 matrix
```

```
E =
```

```
    0.4940    0.9478    0.3841    0.5297
    0.2661    0.0737    0.2771    0.4644
    0.0907    0.5007    0.9138    0.9410
```

```
>> rref(E) % To obtain the reduced row echelon form
           % of E
```

```
ans =
```

```
    1.0000         0         0    0.6739
         0    1.0000         0   -0.2346
         0         0    1.0000    1.0914
```

```
>> B
```

```
B =
```

```
1    2    3
5    6    1
3   -1    9
```

```
>> rref(B)
```

```
ans =
```

```
1    0    0
0    1    0
0    0    1
```

```
>> help rref                                % Online help for rref
```

RREF Reduced row echelon form.

R = RREF(A) produces the reduced row echelon form of A.

[R,jb] = RREF(A) also returns a vector, jb, so that:

r = length(jb) is this algorithm's idea of the rank of A,
x(jb) are the bound variables in a linear system, Ax = b,
A(:,jb) is a basis for the range of A,
R(1:r,jb) is the r-by-r identity matrix.

[R,jb] = RREF(A,TOL) uses the given tolerance in the rank tests.

Roundoff errors may cause this algorithm to compute a different value for the rank than RANK, ORTH and NULL.

See also RREFMOVIE, RANK, ORTH, NULL, QR, SVD.

```
>> lookfor row                               % lookfor keyword row
```

RANK Number of linearly independent rows or columns.

RREF Reduced row echelon form.

RREFMOVIE Movie of the computation of the reduced row echelon form.

WATCHOFF Sets the current figure pointer to the arrow.

FINDROW Find the rows of a matrix that match the input string.

IDUIPOIN Sets and resets the window pointer to watch and arrow

ARROW an arrow

PDEBSPLIT Splits space separated string into separate rows.

>> lookfor echelon

RREF Reduced row echelon form.

RREFMOVIE Movie of the computation of the reduced row echelon form.

>> B

B =

1	2	3
5	6	1
3	-1	9

>> det(B) % determinant of B

ans =

-98

>> inv(B) % inverse of B

ans =

-0.5612	0.2143	0.1633
0.4286	0	-0.1429
0.2347	-0.0714	0.0408

>> D=inv(B) % Set D = inv(B)

D =

-0.5612	0.2143	0.1633
0.4286	0	-0.1429
0.2347	-0.0714	0.0408

```

>> B*D                                % B*D = I, of course

ans =

    1.0000    0.0000         0
   -0.0000    1.0000    0.0000
         0    0.0000    1.0000

>> D*B                                % D*B = I, of course

ans =

    1.0000   -0.0000   -0.0000
    0.0000    1.0000    0.0000
   -0.0000    0.0000    1.0000

>> det(D)                              % det(D) = ?

ans =

   -0.0102

>> det(B)*det(D)                       % det(B)*det(D) = 1, of course

ans =

    1.0000

>> whos

      Name      Size      Elements      Bytes      Density      Complex
      A         3 by 3          9         72         Full        No
      B         3 by 3          9         72         Full        No
      C         3 by 1          3         24         Full        No
      D         3 by 3          9         72         Full        No
      E         3 by 4         12         96         Full        No
      P         4 by 4         16        128         Full        No

```


Q	3 by 3	9	72	Full	No
R	1 by 3	3	24	Full	No
ans	1 by 1	1	8	Full	No

Grand total is 71 elements using 568 bytes

```
>> size(P) % size of P
```

```
ans =
```

```
4 4
```

```
>> size(R) % size of R
```

```
ans =
```

```
1 3
```

```
>> help size
```

SIZE Matrix dimensions.

D = SIZE(X), for M-by-N matrix X, returns the two-element row vector D = [M, N] containing the number of rows and columns in the matrix.

[M,N] = SIZE(X) returns the number of rows and columns in separate output variables.

M = SIZE(X,1) returns just the number of rows.

N = SIZE(X,2) returns just the number of columns.

```
>> save myfile.mat % save the workspace into file called
% myfile.mat
```

```
>> whos
```

Name	Size	Elements	Bytes	Density	Complex
A	3 by 3	9	72	Full	No

B	3 by 3	9	72	Full	No
C	3 by 1	3	24	Full	No
D	3 by 3	9	72	Full	No
E	3 by 4	12	96	Full	No
P	4 by 4	16	128	Full	No
Q	3 by 3	9	72	Full	No
R	1 by 3	3	24	Full	No
ans	1 by 2	2	16	Full	No

Grand total is 72 elements using 576 bytes

```
>> clear % clear the workspace.
>> whos % now, there are no variables defined.
```

```
% don't worry! You can reload the
>> load myfile % previous workspace
```

```
>> whos % See, now all the previous variables
% are there.
```

Name	Size	Elements	Bytes	Density	Complex
A	3 by 3	9	72	Full	No
B	3 by 3	9	72	Full	No
C	3 by 1	3	24	Full	No
D	3 by 3	9	72	Full	No
E	3 by 4	12	96	Full	No
P	4 by 4	16	128	Full	No
Q	3 by 3	9	72	Full	No
R	1 by 3	3	24	Full	No
ans	1 by 2	2	16	Full	No

Grand total is 72 elements using 576 bytes

```
>> quit
```

3 Some Useful Commands

It is quite useful to get acquainted with the following. Just try them out.... You can get more information about them by typing `help` command.

3.1 General Commands

`lookfor` keyword

look for the commands related to a key word. This is very useful if you forget the exact name of the command.

`help` command —

give online help for the command (if you know the name)

`diary` filename —

save all the screen output to the file “filename”. Default filename is “diary”. `diary off` will turn off the diary mode. After you are done, you can then take a look of the screen output (and edit it) at your leisure.

`save` filename —

save the whole workspace (i.e. all the variables) into a file. Default filename is “matlab.mat”.

`load` filename —

load all the variables from the file “filename” into the workspace. Default filename is “matlab.mat”.

`whos`

list information about current variables. The long form of `who`.

`clear`

clear the workspace. You can clear a particular variable by typing `clear variablename`.

3.2 Mathematical Operations and Functions

You can just type `help` to get a list of all the types of functions available. Of particular interests to starters are:

Operators and special characters.

+ - Plus

- Minus
* Matrix multiplication
/ division
' Matrix Transpose
= Assignment
% Comment

Matrix analysis.

rref - Reduced row echelon form.
det - Determinant.
inv - Matrix inverse.

rank - Number of linearly independent rows or columns.
trace - Sum of diagonal elements.
null - Null space.
orth - Orthogonalization.
expm - Matrix exponential.

Eigenvalues.

eig - Eigenvalues and eigenvectors.
poly - Characteristic polynomial.

Trigonometric.

sin - Sine.
sinh - Hyperbolic sine.
asin - Inverse sine.
asinh - Inverse hyperbolic sine.
cos - Cosine.
cosh - Hyperbolic cosine.
acos - Inverse cosine.
acosh - Inverse hyperbolic cosine.
tan - Tangent.

<code>tanh</code>	- Hyperbolic tangent.
<code>atan</code>	- Inverse tangent.
<code>atan2</code>	- Four quadrant inverse tangent.
<code>atanh</code>	- Inverse hyperbolic tangent.
<code>sec</code>	- Secant.
<code>sech</code>	- Hyperbolic secant.
<code>asec</code>	- Inverse secant.
<code>asech</code>	- Inverse hyperbolic secant.
<code>csc</code>	- Cosecant.
<code>csch</code>	- Hyperbolic cosecant.
<code>acsc</code>	- Inverse cosecant.
<code>acsch</code>	- Inverse hyperbolic cosecant.
<code>cot</code>	- Cotangent.
<code>coth</code>	- Hyperbolic cotangent.
<code>acot</code>	- Inverse cotangent.
<code>acoth</code>	- Inverse hyperbolic cotangent.

Exponential.

<code>exp</code>	- Exponential.
<code>log</code>	- Natural logarithm.
<code>log10</code>	- Common logarithm.
<code>sqrt</code>	- Square root.

Complex.

<code>abs</code>	- Absolute value.
<code>angle</code>	- Phase angle.
<code>conj</code>	- Complex conjugate.
<code>imag</code>	- Complex imaginary part.
<code>real</code>	- Complex real part.

Numeric.

<code>fix</code>	- Round towards zero.
<code>floor</code>	- Round towards minus infinity.
<code>ceil</code>	- Round towards plus infinity.

round - Round towards nearest integer.
rem - Remainder after division.
sign - Signum function.

Polynomials.

roots - Find polynomial roots.
poly - Construct polynomial with specified roots.
polyval - Evaluate polynomial.
polyvalm - Evaluate polynomial with matrix argument.
residue - Partial-fraction expansion (residues).
polyder - Differentiate polynomial.
conv - Multiply polynomials.
deconv - Divide polynomials.